Can we Predict Rectal Cancer Outcomes using Clinical Data? A Comparative Analysis of Different Techniques.

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Background

Rectal cancer is a subtype of colorectal cancer (CRC), the third most common cancer and the second leading cause of cancer-related deaths globally. Treatment differs from colon cancer due to the rectum's proximity to other organs, making surgical planning complex. Advances in MRI imaging have improved treatment decisions and outcome predictions.

Rectal cancer is staged using the TNM system, which assesses tumor size (T-stage), lymph node involvement (N-stage), and metastasis (M-stage).

Objective

The study aims to identify pre-surgery and MRI variables that significantly predict rectal cancer outcomes, measured by pathologic TNM staging and recurrence. This information is crucial for prognostic assessment, surgical planning, and treatment evaluation.

Data

The small sample but high-dimensional data used in my analysis is collected from Case Western Reserve University's Department of Biomedical Engineering, from 55 patients treated at University Hospitals Cleveland Medical Center.

Variables analyzed:

- Pre-surgery (control) variables: Sex, BMI, race, days from diagnosis to surgery, initial cancer staging, and tumor marker levels.
- MRI variables: Mucin production, tumor margins, lymph node involvement, and invasion of nearby structures.

There are 4 outcome variables:

- Pathologic T-Stage (path_t_stage): Measures tumor size and invasion, ranging from 0 (no tumor) to 4 (tumor spreading to nearby organs and lymph nodes)
- Pathologic N-Stage (*path_n_stage*): Assesses lymph node involvement, with 0 indicating no spread, 1 indicating limited metastasis, and 2 indicating extensive lymph node involvement.
- Pathologic M-Stage (*path_m_stage*): Evaluates distant metastasis, where 0 means no spread beyond nearby lymph nodes, 1 indicates distant metastasis, and 2 signifies more extensive spread.
- *recurrence*: A binary measure where 0 indicates no cancer recurrence after treatment, and 1 signifies recurrence within the follow-up period.

Hypothesis

Among the various pre-surgery and MRI variables available for colorectal cancer patients, Initial staging, or Clinical TNM among the pre-surgery variables, and the extent of lymph node involvement by cancer cells, in imaging variables are significantly associated with pathologic TNM and recurrence, consistently across all the different regression methods used.

Methodology, Data, & Results

All the continuous explanatory variables are first standardized into the z scores by subtracting the sample mean and dividing by sample standard deviation, to remove the dimensionality for the data but preserve the variability.

Then three different regression techniques are utilized to determine whether any variable of the variables is consistently and significantly associated with outcomes. Using Stata and Python programming, the regression results are examined with (Panel A of each table) only the imaging variables and (Panel B of each table) with both imaging variables and pre-surgery variables (or control variables).

Method 1: Tobit and Logit Regression

Since the dependent variables are not continuous variables, the Tobit regression method is utilized for *path_t_stage*, *path_n_stage*, and *path_m_stage* which can take ordered values, and the Logit regression method is used for *recurrence* that is 0 or 1 indicator variable.

Results

Significant Coefficients for Path T Stage	Tobit
mucin_present	2.879

 Significant Coefficients for Path M Stage
 Tobit

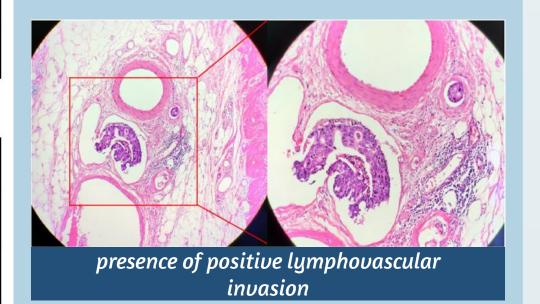
 number_of_positive_lymph_n
 0.274

 lymphovascular_invasion
 3.314

Panel B:

Significant Coefficients for Path M Stage	Tobit
number_of_positive_lymph_n	0.572
lymphovascular_invasion	0.393
sex	-4.353

number_of_positive_lymph_n and lymphovascular_invasion imaging variables are significantly associated with the path M Stage outcome in both Panels A and B.



Method 3: Ridge & ElasticNet Regression

In Ridge regression, overfitting deals with multicollinearity problems by imposing penalties on the regression coefficients. ElasticNet is also chosen for its ability to combine the advantages of LASSO and Ridge regression, providing a robust approach to handling high-dimensional data and multicollinearity.

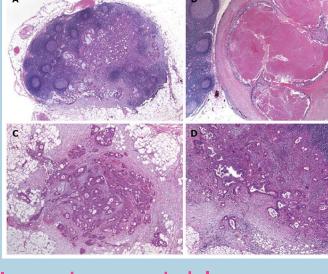
Results

Panel A:		
Significant Coefficients for Path N Stage	Ridge	ElasticNet
number_of_positive_lymph_n	0.691	0.656
lymphovascular_invasion	0.147	

Panel B:

Significant Coefficients for Path N Stage	Ridge	ElasticNet
init_clinical_staging_m	0.177	
number_of_positive_lymph_n	0.514	0.562
large_vessel_invasion	-0.139	

presence of positive lymph nodes



Imaging variable,
number_of_positive_
Iymph_n, is significantly
associated with path N
Stage in both Panels A
and B

Method 2: Adaptive LASSO, SCAD, & MCP Regression

LASSO (Least Absolute Shrinkage and Selection Operator) performs variable selection and regularization, effectively selecting the variables that are most important to the response variable. Smoothly Clipped Absolute Deviation (SCAD) and Minimax Concave Penalty (MCP) improve model performance.

Results

anel A:			
Non-Zero Coefficients for Path T Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.073	0.036	
distance_to_proximal_margin		-0.031	
number_of_lymph_nodes_exam		0.044	
Non-Zero Coefficients for Path N Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.214	0.156	0.090
		•	•
Non-Zero Coefficients for Path M Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.044		
distance_to_proximal_margin		-0.034	
distance_to_distal_margin		-0.022	
number_of_lymph_nodes_exam		-0.045	
Panel B:		e en	
Non-Zero Coefficients for Path T Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.073	0.054	101 200
Sex		-0.367	-0.340
init_clinical_staging_m	5	-0.174	-0.217
Bmi	C	0.158	0.058
days_from_diagnosis_to_surgery		-0.190	-0.132
distance_to_distal_margin		0.079	0.026
number_of_lymph_nodes_exam		0.024	
	9		
Non-Zero Coefficients for Path N Stage	Adaptive Lasso	SCAD	MCP
number_of_positive_lymph_n	0.214	0.144	0.060
Race		0.177	0.297
init_clinical_staging_m		0.217	0.346
Non-Zero Coefficients for Path M Stage	Adaptive Lasso	SCAD	MCP
number_of_positive_lymph_n	0.044	993725536	
Race		0.209	0.200

number_of_positive_lymph_n 0.044

Race 0.209 0.200

init_clinical_staging_m 0.148 0.206

Bmi -0.046

days_from_neo_xrt_to_surgery 0.047

distance_to_proximal_margin -0.018

distance_to_distal_margin -0.044

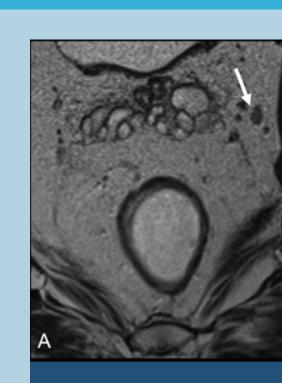
number_of_lymph_nodes_exam -0.035 -0.030

Non-Zero Coefficients for Recurrence

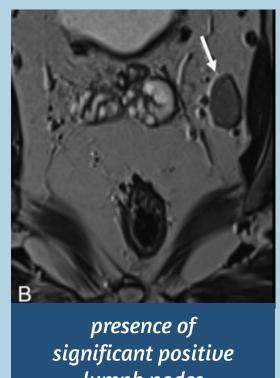
init_clinical_staging_m

Adaptive Lasso | SCAD | MCP

-0.024



no significant positive lymph nodes



presence of significant positive lymph nodes

number_of_positive_ *lymph_n*, is significantly associated with path T Stage and path N Stage outcomes in both Panels A and B. Among the pre-surgery or control variables, init_clinical_staging_m appears to be a significant predictor of path T Stage, path N Stage and path M Stage outcomes, and *race* appears to be a significant predictor of path N Stage and path M Stage outcomes in Panel B.

Discussion

In general, across almost all methods I used, the <code>number_of_positive_lymph_n</code> imaging variable is significant and positively associated with <code>path_t_stage</code>, <code>path_m_stage</code>, and <code>path_n_stage</code> outcomes. The <code>number_of_positive_lymph_n</code> refers to the number of lymph nodes to which cancer has spread, also known as the <code>n-stage</code>. Clinically, this aligns with the understanding that lymph node involvement worsens outcomes, as cancer spreads through the lymphatic system, increasing the risk of metastasis. Studies (Kroon et al., 2022; Sluckin et al., 2022) highlight the impact of lateral lymph node metastasis, particularly in locally advanced rectal cancer, on recurrence and survival rates.

Among control or pre-surgery variables, <code>init_clinical_staging_m</code> and <code>race</code> are generally significantly associated with <code>path_t_stage</code>, <code>path_m_stage</code>, and <code>path_n_stage</code> outcomes. <code>init_clinical_staging_m</code> refers to clinical M, or metastatic, stage, determined at diagnosis prior to any treatment. This emphasizes how racial disparities exist in rectal cancer survival, with black patients showing worse survival rates than white patients, even with similar treatments, likely due to biological and systemic factors.

Conclusion

The study supports the hypothesis that *number_of_positive_lymph_n* (imaging variable) and *init_clinical_staging_m* and *race* (pre-surgery variables) are key predictors of rectal cancer outcomes.

Despite the small sample size (55 cases), the study provides multidimensional insights into rectal cancer prognosis. Future work should expand the dataset and test findings over a longer period to improve reliability. As imaging technology advances, its role in predicting and improving patient outcomes will likely become even more critical.

Acknowledgements

I thank Professor Dr. Satish Viswanath, Mr. Thomas DeSilvio, and Dr. Charlems Alvarez Jimenez of Case Western Reserve University's Department of Biomedical Engineering, for the data and regular guidance in this project.

References

Krishnan, K. (2025). Can We Predict Rectal Cancer Outcomes Using Clinical Data? A Comparative Analysis of Different Techniques. Beachwood High School.

Adam Wetzel, Satish Viswanath, Emre Gorgun, Ilker Ozgur, Daniela Allende, David Liska, Andrei S Purysko, Staging and Restaging of Rectal Cancer with MRI: A Pictorial Review, Seminars in Ultrasound, CT and MRI, Volume 43, Issue 6, 2022, Pages 441-454, ISSN 0887-2171, https://doi.org/10.1053/j.sult.2022.06.003 A

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Required Photographic/Graphics Source Identification

Nagtegaal et al, Smith et al, Wetzel et al

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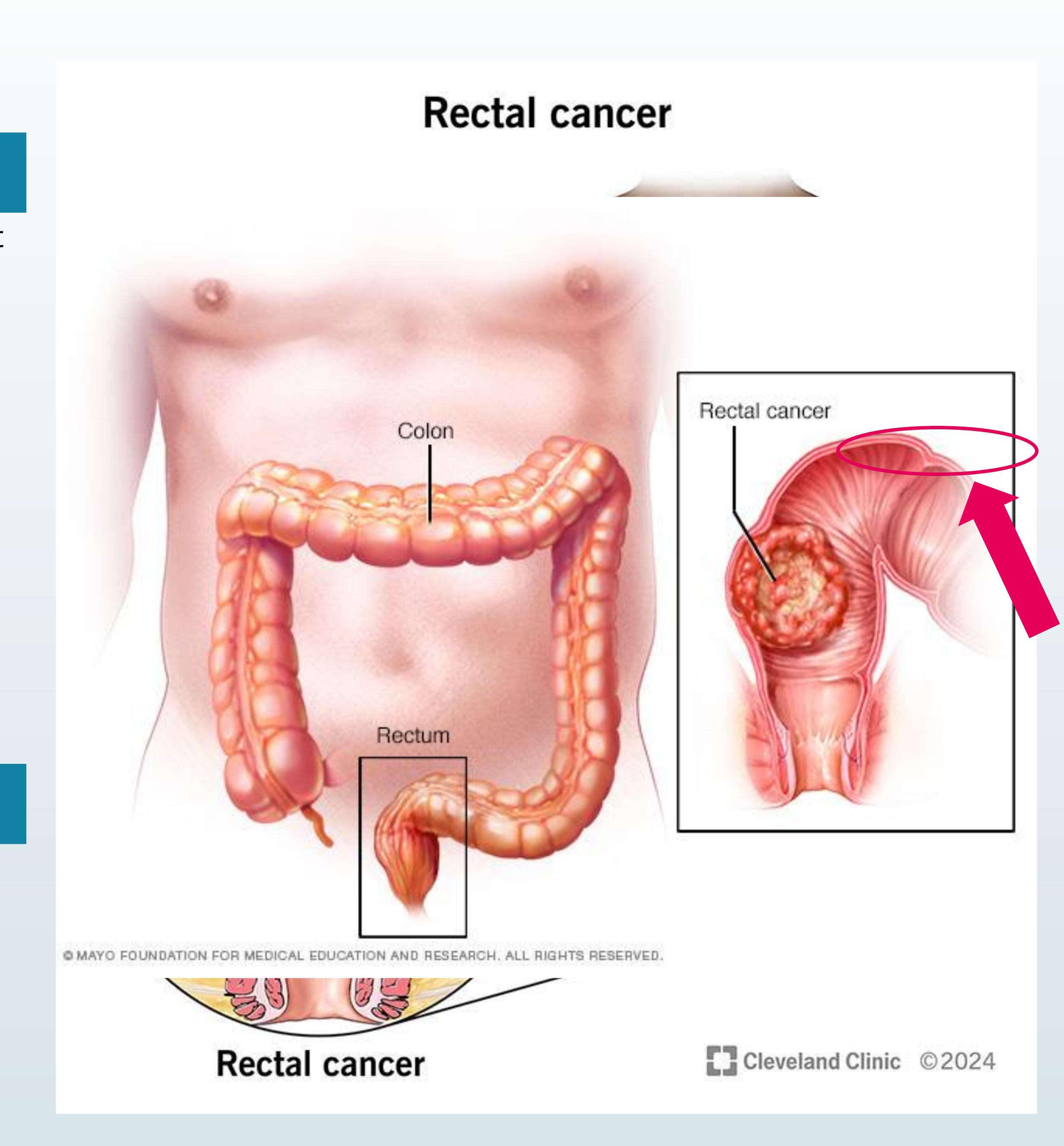
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Stata & Python Code:

```
Stata code:
 tobit depvar [indepvars], ll[(#)] ul[(#)] [options]
                 Description
   Model
                   suppress constant term
  * 11[(#)]
                 left-censoring limit
  * ul[(#)]
                 right-censoring limit
logit depvar [indepvars][, options]
                      Description
  options
  Model
   noconstant
                        suppress constant term
Python code:

    Lasso

import pandas as pd
import numpy as np
from sklearn.linear model import LassoCV, ElasticNetCV
from sklearn.preprocessing import StandardScaler
from sklearn.pipeline import make pipeline
from pyglmnet import GLM
import matplotlib.pyplot as plt
data = pd.read excel('z score both.xlsx')
# Check for any missing values and drop rows with NaNs for LASSO regression
data = data.dropna()
# Separate independent and dependent variables
X = data[['sex', 'race', 'init_clinical_staging_t', 'init_clinical_staging_n', 'init_clinical_staging_m',
     'bmi', 'days from diagnosis to surgery', 'initial cea', 'days from neo xrt to surgery',
      'mucin_present', 'signet_ring_features', 'number_of_positive lymph n',
      'lymphovascular_invasion', 'perineural_invasion', 'peritumor_lymphocytic_resp',
     'large_vessel_invasion', 'ulceration_present', 'distance_to_proximal_margin',
     'distance to distal margin', 'number of lymph nodes exam']]
y path t stage = data['path t stage']
y path n stage = data['path n stage']
y_path_m_stage = data['path_m_stage']
y recurrence = data['recurrence']
# Adaptive Lasso implementation
def adaptive lasso(X, y, cv=5):
  initial lasso = make pipeline(StandardScaler(), LassoCV(cv=cv)).fit(X, y)
  initial coefs = np.abs(initial lasso.named steps['lassocv'].coef )
  weights = 1 / (initial coefs + 1e-2)
  adaptive lasso = make pipeline(StandardScaler(), LassoCV(cv=cv))
  adaptive_lasso.set_params(lassocv__alphas=np.linspace(0.1, 1, 10))
  adaptive_lasso.named_steps['lassocv'].fit(X * weights, y)
  return adaptive lasso.named steps['lassocv']
# Function to instantiate models afresh each time
def get models(X, y):
  return {
    'Lasso': make pipeline(StandardScaler(), LassoCV(cv=5)),
    'Adaptive Lasso': adaptive lasso(X, y),
    'ElasticNet': make_pipeline(StandardScaler(), ElasticNetCV(cv=5)),
    'SCAD': GLM(distr='gaussian', reg_lambda=0.1, alpha=0.5, solver='cdfast', learning_rate=1e-3),
    'MCP': GLM(distr='gaussian', reg_lambda=0.1, alpha=1.0, solver='cdfast', learning_rate=1e-3)
# Function to fit and plot regressions for a given target variable
def fit and plot regressions(X, y, target name):
  coefficients = {}
  models = get models(X, y)
  for name, model in models.items():
    if name in ['SCAD', 'MCP']:
      model.fit(X.values, y.values)
      coefs = model.beta .flatten()
      model.fit(X, y)
      if hasattr(model, 'named steps'):
         coefs = model.named_steps[f'{name.lower()}cv'].coef_
```

else:	
coefs = model.coef_ coefficients[name] = pd.Series(coefs, index=X.columns)	
plt.figure(figsize=(10, 6))	
coefficients[name].plot(kind='bar')	
plt.title(f'{name} Coefficients for {target_name}')	
plt.show() return coefficients	
Tetum coemetens	
# Fit and plot regressions for each dependent variable	
coefficients_path_t_stage = fit_and_plot_regressions(X, y_path_t_stage, 'Path T Stage')	
coefficients_path_n_stage = fit_and_plot_regressions(X, y_path_n_stage, 'Path N Stage')	
coefficients_path_m_stage = fit_and_plot_regressions(X, y_path_m_stage, 'Path M Stage') coefficients recurrence = fit and plot regressions(X, y recurrence, 'Recurrence')	
overme_recurrence in_unu_pres_regressions(rr,)_recurrence, recommend)	
# Function to extract non-zero coefficients	
def extract_non_zero_coefficients(coefficients):	
non_zero_coefs = {} for model, coef series in coefficients.items():	
non_zero_coefs[model] = coef_series[coef_series != 0]	
return non_zero_coefs	
# Extract non-zero coefficients	
non_zero_coefficients_path_t_stage = extract_non_zero_coefficients(coefficients_path_t_stage non_zero_coefficients_path_n_stage = extract_non_zero_coefficients(coefficients_path_n_stage	
non zero coefficients path m stage = extract non zero coefficients(coefficients path m sta	
non_zero_coefficients_recurrence = extract_non_zero_coefficients(coefficients_recurrence)	·
# Function to display non-zero coefficients in a table format	
def display_non_zero_coefficients(non_zero_coefficients, target_name):	
print(f"Non-Zero Coefficients for {target_name}:") for model, coefs in non zero coefficients.items():	
print(f"\n{model}:")	
print(coefs)	
# Dieplay non zoro coefficiente	
# Display non-zero coefficients display non zero coefficients(non zero coefficients path t stage, 'Path T Stage')	
display_non_zero_coefficients(non_zero_coefficients_path_n_stage, 'Path N Stage')	
display_non_zero_coefficients(non_zero_coefficients_path_m_stage, 'Path M Stage')	
display_non_zero_coefficients(non_zero_coefficients_recurrence, 'Recurrence')	
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import pandas as pd	
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```
PYTHON & STATA REFERENCES
                                                                                   Python References:
                                                                                   McFadden, D. (1973). Conditional logit analysis of qualitative choice behavior. Frontiers in
                                                                                   Econometrics, 105-142.
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                                                                                   Prettenhofer, P., Weiss, R., Dubourg, V., Vanderplas, J., Passos, A., Cournapeau, D., Brucher
                                                                                   M., Perrot, M., & Duchesnay, E. (2011). Scikit-learn: Machine learning in Python. Journal of
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                                                                                   Greene, W. H. (2012). Econometric analysis (7th ed.). Pearson.
                                                                                    Stata References:
# Function to fit and plot Multiple Penalty Ridge regression
                                                                                   Amemiya, T. (1984). Tobit models: A survey. Journal of Econometrics, 24(1-2), 3-61.
def fit_and_plot_multiple_penalty_ridge(X, y, target_name):
                                                                                    Belloni, A., Chernozhukov, V., & Hansen, C. (2014). Inference on treatment effects after
                                                                                   selection among high-dimensional controls. Review of Economic Studies, 81(2), 608-650.
                                                                                   Nichols, A., & Schaffer, M. (2007). Practice: Tobit models. Stata Journal, 7(2), 167-182.
                                                                                   StataCorp. (2021). LASSO reference manual. Stata Press.
                                                                                   StataCorp. (2021). Stata 17 base reference manual. Stata Press.
  kf = KFold(n splits=5, shuffle=True, random state=1)
                                                                                   Wooldridge, J. M. (2010). Econometric analysis of cross-section and panel data. MIT Press.
                                                                                   Hoerl, A. E., & Kennard, R. W. (1970). Ridge regression: Applications to nonorthogonal
                                                                                   problems. Technometrics, 12(1), 69-82.
     ridge = make_pipeline(StandardScaler(), Ridge(alpha=alpha))
      scores = cross val score(ridge, X, y, cv=kf, scoring='neg mean squared error')
   best ridge = make pipeline(StandardScaler(), Ridge(alpha=best alpha))
   coefficients = pd.Series(best ridge.named steps['ridge'].coef , index=X.columns)
   plt.title(f'Multiple Penalty Ridge Coefficients for {target name}')
   significant coefficients = coefficients[coefficients.abs() > threshold]
   print(f"Significant Multiple Penalty Ridge Regression Coefficients for {target name}:")
# Function to fit and plot Elastic Net regression for dependent variables
def fit and plot elastic net(X, y, target name):
   elastic net = make pipeline(StandardScaler(), ElasticNetCV(11 ratio=11 ratios, cv=5))
   coefficients = pd.Series(elastic net.named steps['elasticnetcv'].coef , index=X.columns)
   plt.title(f'Elastic Net Coefficients for {target name}')
  significant coefficients = coefficients[coefficients.abs() > threshold]
  print(f"Significant Elastic Net Regression Coefficients for {target_name}:")
# Fit and plot Ridge regression for different dependent variables
coefficients path t stage = fit and plot ridge(X, y path t stage, 'Path T Stage')
coefficients_path_n_stage = fit_and_plot_ridge(X, y_path_n_stage, 'Path N Stage')
coefficients path m stage = fit and plot ridge(X, y path m stage, 'Path M Stage')
coefficients_recurrence = fit_and_plot_ridge(X, y_recurrence, 'Recurrence')
# Fit and plot Multiple Penalty Ridge regression for different dependent variables
coefficients_path_t_stage_multi = fit_and_plot_multiple_penalty_ridge(X, y_path_t_stage, 'Path T
coefficients path n stage multi = fit and plot multiple penalty ridge(X, y path n stage, 'Path N
coefficients_path_m_stage_multi = fit_and_plot_multiple_penalty_ridge(X, y_path_m_stage, 'Path M
coefficients recurrence multi = fit and plot multiple penalty ridge(X, y recurrence, 'Recurrence')
```

alphas = np.logspace(-6, 6, 13)

mean score = np.mean(scores)

if mean score > best score:

best alpha = alpha

best ridge.fit(X, y)

Plot coefficients

plt.show()

plt.figure(figsize=(10, 6))

coefficients.plot(kind='bar')

Report only significant coefficients

print(significant coefficients)

return significant coefficients

elastic net.fit(X, y)

Plot coefficients

plt.show()

Stage')

Stage')

plt.figure(figsize=(10, 6))

coefficients.plot(kind='bar')

print(significant coefficients)

return significant coefficients

Report only significant coefficients

Fit and plot Elastic Net regression for different dependent variables

coefficients path t stage en = fit and plot_elastic_net(X, y_path_t_stage, 'Path T Stage')

coefficients recurrence en = fit and plot elastic net(X, y recurrence, 'Recurrence')

coefficients_path_n_stage_en = fit_and_plot_elastic_net(X, y_path_n_stage, 'Path N Stage')

coefficients_path_m_stage_en = fit_and_plot_elastic_net(X, y_path_m_stage, 'Path M Stage')

11 ratios = np.linspace(0.01, 1, 10)

best score = mean score

Fit the model with the best alpha

ridge scores.append(mean score)

ridge scores = []

best score = -np.inf

for alpha in alphas:

best alpha = 0

Hypothesis

Among the various pre-surgery and MRI variables available for colorectal cancer patients, Initial staging, or Clinical TNM among the pre-surgery variables, and the extent of lymph node involvement by cancer cells, in imaging variables are significantly associated with pathologic TNM and recurrence, consistently across all the different regression methods used.

Methodology, Data, & Results

All the continuous explanatory variables are first standardized into the z scores by subtracting the sample mean and dividing by sample standard deviation, to remove the dimensionality for the data but preserve the variability.

Then three different regression techniques are utilized to determine whether any variable of the variables is consistently and significantly associated with outcomes. Using Stata and Python programming, the regression results are examined with (Panel A of each table) only the imaging variables and (Panel B of each table) with both imaging variables and pre-surgery variables (or control variables).

Method 1: Tobit and Logit Regression

Since the dependent variables are not continuous variables, the Tobit regression method is utilized for *path_t_stage*, *path_n_stage*, and *path_m_stage* which can take ordered values, and the Logit regression method is used for *recurrence* that is 0 or 1 indicator variable.

Results

Panel A:

Significant Coefficients for Path T Stage	Tobit
mucin_present	2.879

 Significant Coefficients for Path M Stage
 Tobit

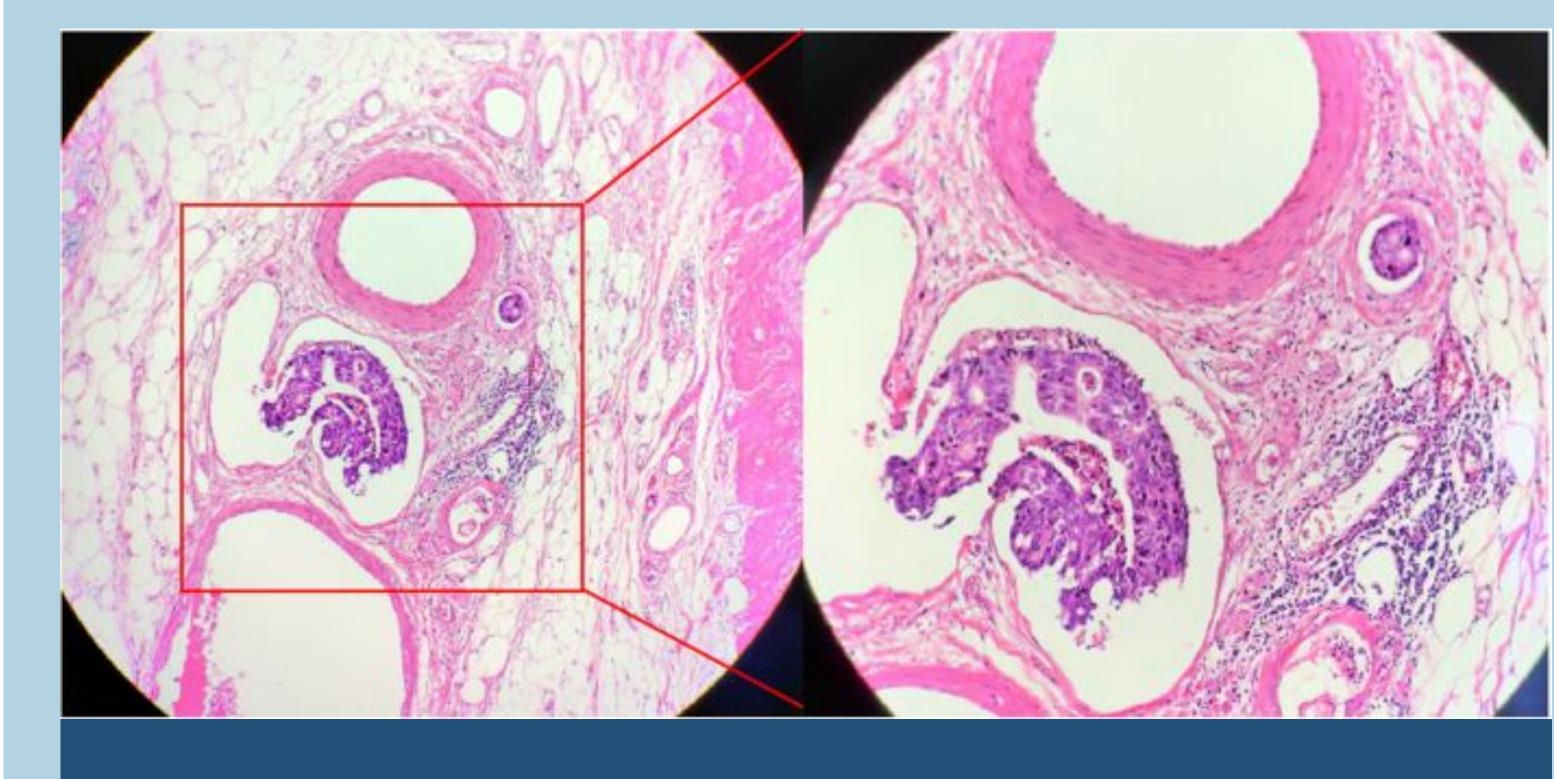
 number_of_positive_lymph_n
 0.274

 lymphovascular_invasion
 3.314

Panel B:

Significant Coefficients for Path M Stage	Tobit
number_of_positive_lymph_n	0.572
lymphovascular_invasion	0.393
sex	-4.353

number_of_positive_lymph_n and lymphovascular_invasion imaging variables are significantly associated with the path M Stage outcome in both Panels A and B.



presence of positive lymphovascular invasion

Can we Predict Rectal Cancer Outcomes using Clinical Data? A Comparative Analysis of Different Techniques.

Karina Krishnan Grade 11, Beachwood High School | Beachwood, Ohio, 44122

Advisors: Professor Dr. Satish Viswanath, Mr. Thomas DeSilvio, Dr. Charlems Alvarez Jimenez (Case Western Reserve University)

Background

Rectal cancer is a subtype of colorectal cancer (CRC), the third most common cancer and the second leading cause of cancer-related deaths globally. Treatment differs from colon cancer due to the rectum's proximity to other organs, making surgical planning complex. Advances in MRI imaging have improved treatment decisions and outcome predictions.

Rectal cancer is staged using the TNM system, which assesses tumor size (T-stage), lymph node involvement (N-stage), and metastasis (M-stage).

Objective

The study aims to identify pre-surgery and MRI variables that significantly predict rectal cancer outcomes, measured by pathologic TNM staging and recurrence. This information is crucial for prognostic assessment, surgical planning, and treatment evaluation.

Data

The small sample but high-dimensional data used in my analysis is collected from Case Western Reserve University's Department of Biomedical Engineering, from 55 patients treated at University Hospitals Cleveland Medical Center.

Variables analyzed:

- Pre-surgery (control) variables: Sex, BMI, race, days from diagnosis to surgery, initial cancer staging, and tumor marker levels.
- MRI variables: Mucin production, tumor margins, lymph node involvement, and invasion of nearby structures.

There are 4 outcome variables:

- Pathologic T-Stage (path_t_stage): Measures tumor size and invasion, ranging from 0 (no tumor) to 4 (tumor spreading to nearby organs and lymph nodes)
- Pathologic N-Stage (*path_n_stage*): Assesses lymph node involvement, with 0 indicating no spread, 1 indicating limited metastasis, and 2 indicating extensive lymph node involvement.
- Pathologic M-Stage (*path_m_stage*): Evaluates distant metastasis, where 0 means no spread beyond nearby lymph nodes, 1 indicates distant metastasis, and 2 signifies more extensive spread.
- *recurrence*: A binary measure where 0 indicates no cancer recurrence after treatment, and 1 signifies recurrence within the follow-up period.

Hypothesis

Among the various pre-surgery and MRI variables available for colorectal cancer patients, Initial staging, or Clinical TNM among the pre-surgery variables, and the extent of lymph node involvement by cancer cells, in imaging variables are significantly associated with pathologic TNM and recurrence, consistently across all the different regression methods used.

Methodology, Data, & Results

All the continuous explanatory variables are first standardized into the z scores by subtracting the sample mean and dividing by sample standard deviation, to remove the dimensionality for the data but preserve the variability.

Then three different regression techniques are utilized to determine whether any variable of the variables is consistently and significantly associated with outcomes. Using Stata and Python programming, the regression results are examined with (Panel A of each table) only the imaging variables and (Panel B of each table) with both imaging variables and pre-surgery variables (or control variables).

Method 1: Tobit and Logit Regression

Since the dependent variables are not continuous variables, the Tobit regression method is utilized for *path_t_stage*, *path_n_stage*, and *path_m_stage* which can take ordered values, and the Logit regression method is used for *recurrence* that is 0 or 1 indicator variable.

Results

Panel A:	
Significant Coefficients for Path T Stage	Tobit
mucin_present	2.879

 Significant Coefficients for Path M Stage
 Tobit

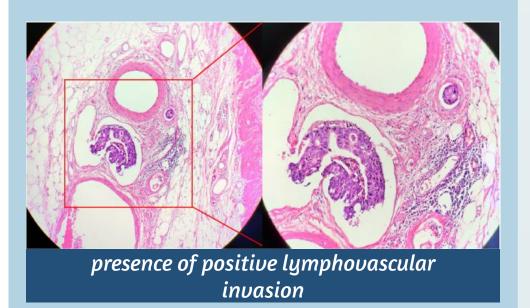
 number_of_positive_lymph_n
 0.274

 lymphovascular_invasion
 3.314

Panel B:

Significant Coefficients for Path M Stage	e Tobit
number_of_positive_lymph_n	0.572
lymphovascular_invasion	0.393
sex	-4.353

number_of_positive_lymph_n and lymphovascular_invasion imaging variables are significantly associated with the path M Stage outcome in both Panels A and B.



Method 3: Ridge & ElasticNet Regression

In Ridge regression, overfitting deals with multicollinearity problems by imposing penalties on the regression coefficients. ElasticNet is also chosen for its ability to combine the advantages of LASSO and Ridge regression, providing a robust approach to handling high-dimensional data and multicollinearity.

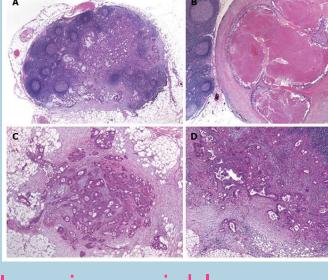
Results

Panel A:		
Significant Coefficients for Path N Stage	Ridge	ElasticNet
number_of_positive_lymph_n	0.691	0.656
lymphovascular_invasion	0.147	
		2

Panel B:

Significant Coefficients for Path N Stage	Ridge	ElasticNet
init_clinical_staging_m	0.177	
number_of_positive_lymph_n	0.514	0.562
large_vessel_invasion	-0.139	

presence of positive lymph nodes



Imaging variable,
number_of_positive_
Iymph_n, is significantly
associated with path N
Stage in both Panels A
and B

Method 2: Adaptive LASSO, SCAD, & MCP Regression

LASSO (Least Absolute Shrinkage and Selection Operator) performs variable selection and regularization, effectively selecting the variables that are most important to the response variable. Smoothly Clipped Absolute Deviation (SCAD) and Minimax Concave Penalty (MCP) improve model performance.

Results

Non-Zero Coefficients for Path T Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.073	0.036	
distance_to_proximal_margin		-0.031	
number_of_lymph_nodes_exam		0.044	
Non-Zero Coefficients for Path N Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.214	0.156	0.090
		•	•
Non-Zero Coefficients for Path M Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.044	8	
distance_to_proximal_margin		-0.034	
distance_to_distal_margin		-0.022	
number_of_lymph_nodes_exam		-0.045	
Panel B:			
Non-Zero Coefficients for Path T Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.073	0.054	

0.144 0.060

Adaptive Lasso | SCAD | MCP

-0.024

0.214

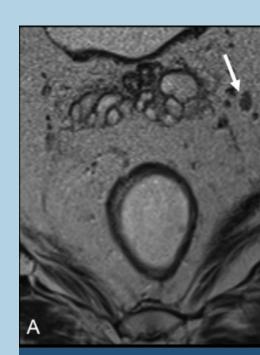
init_clinical_staging_m		-0.174	-0.21
Bmi		0.158	0.058
days_from_diagnosis_to_surgery		-0.190	-0.132
distance_to_distal_margin		0.079	0.026
number_of_lymph_nodes_exam		0.024	
Non-Zero Coefficients for Path N Stage	Adaptive Lasso	SCAD	MCF

number_of_positive_lymph_n

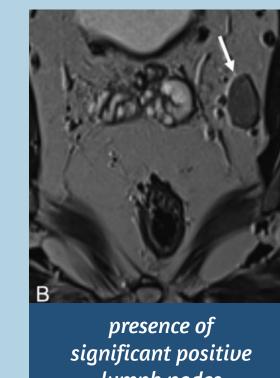
Non-Zero Coefficients for Recurrence

init_clinical_staging_m

Race		0.177	0.297
init_clinical_staging_m	· · · · · · · · · · · · · · · · · · ·	0.217	0.346
Non-Zero Coefficients for Path M Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.044		
Race		0.209	0.200
init_clinical_staging_m		0.148	0.206
Bmi		-0.046	
days_from_neo_xrt_to_surgery		0.047	
distance_to_proximal_margin		-0.018	
distance_to_distal_margin		-0.044	
number_of_lymph_nodes_exam		-0.035	-0.030



no significant sitive lumph nodes



Imaging variable,
number_of_positive_
lymph_n, is
significantly
associated with path T
Stage and path N
Stage outcomes in
both Panels A and B.

Stage outcomes in both Panels A and B. Among the pre-surgery or control variables, init_clinical_staging_m appears to be a significant predictor of path T Stage, path N Stage and path M Stage outcomes, and *race* appears to be a significant predictor of path N Stage and path M Stage outcomes in Panel B.

Discussion

In general, across almost all methods I used, the <code>number_of_positive_lymph_n</code> imaging variable is significant and positively associated with <code>path_t_stage</code>, <code>path_m_stage</code>, and <code>path_n_stage</code> outcomes. The <code>number_of_positive_lymph_n</code> refers to the number of lymph nodes to which cancer has spread, also known as the n-stage. Clinically, this aligns with the understanding that lymph node involvement worsens outcomes, as cancer spreads through the lymphatic system, increasing the risk of metastasis. Studies (Kroon et al., 2022; Sluckin et al., 2022) highlight the impact of lateral lymph node metastasis, particularly in locally advanced rectal cancer, on recurrence and survival rates.

Among control or pre-surgery variables, <code>init_clinical_staging_m</code> and <code>race</code> are generally significantly associated with <code>path_t_stage</code>, <code>path_m_stage</code>, and <code>path_n_stage</code> outcomes. <code>init_clinical_staging_m</code> refers to clinical M, or metastatic, stage, determined at diagnosis prior to any treatment. This emphasizes how racial disparities exist in rectal cancer survival, with black patients showing worse survival rates than white patients, even with similar treatments, likely due to biological and systemic factors.

Conclusion

The study supports the hypothesis that *number_of_positive_lymph_n* (imaging variable) and *init_clinical_staging_m* and *race* (pre-surgery variables) are key predictors of rectal cancer outcomes.

Despite the small sample size (55 cases), the study provides multidimensional insights into rectal cancer prognosis. Future work should expand the dataset and test findings over a longer period to improve reliability. As imaging technology advances, its role in predicting and improving patient outcomes will likely become even more critical.

Acknowledgements

I thank Professor Dr. Satish Viswanath, Mr. Thomas DeSilvio, and Dr. Charlems Alvarez Jimenez of Case Western Reserve University's Department of Biomedical Engineering, for the data and regular guidance in this project.

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Adam Wetzel, Satish Viswanath, Emre Gorgun, Ilker Ozgur, Daniela Allende, David Liska, Andrei S Purysko, Staging and Restaging of Rectal Cancer with MRI: A Pictorial Review, Seminars in Ultrasound, CT and MRI, Volume 43, Issue 6, 2022, Pages 441-454, ISSN 0887-2171, https://doi.org/10.1053/j.sult.2022.06.003 A

lessandra Borgheresi, Federica De Muzio, Andrea Agostini, Letizia Ottaviani, Alessandra Bruno, Vincenza Granata, Roberta Fusco, Ginevra Danti, Federica Flammia, Roberta Grassi, Francesca Grassi, Federico Bruno, Pierpaolo Palumbo, Antonio Barile, Vittorio Miele, and Andrea Giovagnoni, "Lymph Nodes Evaluation in Rectal Cancer: Where Do We Stand and Future Perspective." Journal of Clinical Medicine. 2022 May; 11(9), 2599,

Required Photographic/Graphics Source Identification

Nagtegaal et al, Smith et al, Wetzel et al

Graphics from outside sources are from: World Journal of Surgical Oncology (2021), World Journal of Gastroenterology (2013), Wetzel et al., Seminars in Ultrasound, CT, and MRI (2022)

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Method 2: Adaptive LASSO, SCAD, & MCP Regression

LASSO (Least Absolute Shrinkage and Selection Operator) performs variable selection and regularization, effectively selecting the variables that are most important to the response variable. Smoothly Clipped Absolute Deviation (SCAD) and Minimax Concave Penalty (MCP) improve model performance.

Results

Panel A: MCPAdaptive Lasso SCADNon-Zero Coefficients for Path T Stage number_of_positive_lymph_n 0.073 0.036 distance_to_proximal_margin -0.031number_of_lymph_nodes_exam 0.044Non-Zero Coefficients for Path N Stage Adaptive Lasso SCADnumber_of_positive_lymph_n 0.214 0.156 0.090

Non-Zero Coefficients for Path M Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.044		
distance_to_proximal_margin		-0.034	
distance_to_distal_margin		-0.022	
number_of_lymph_nodes_exam		-0.045	

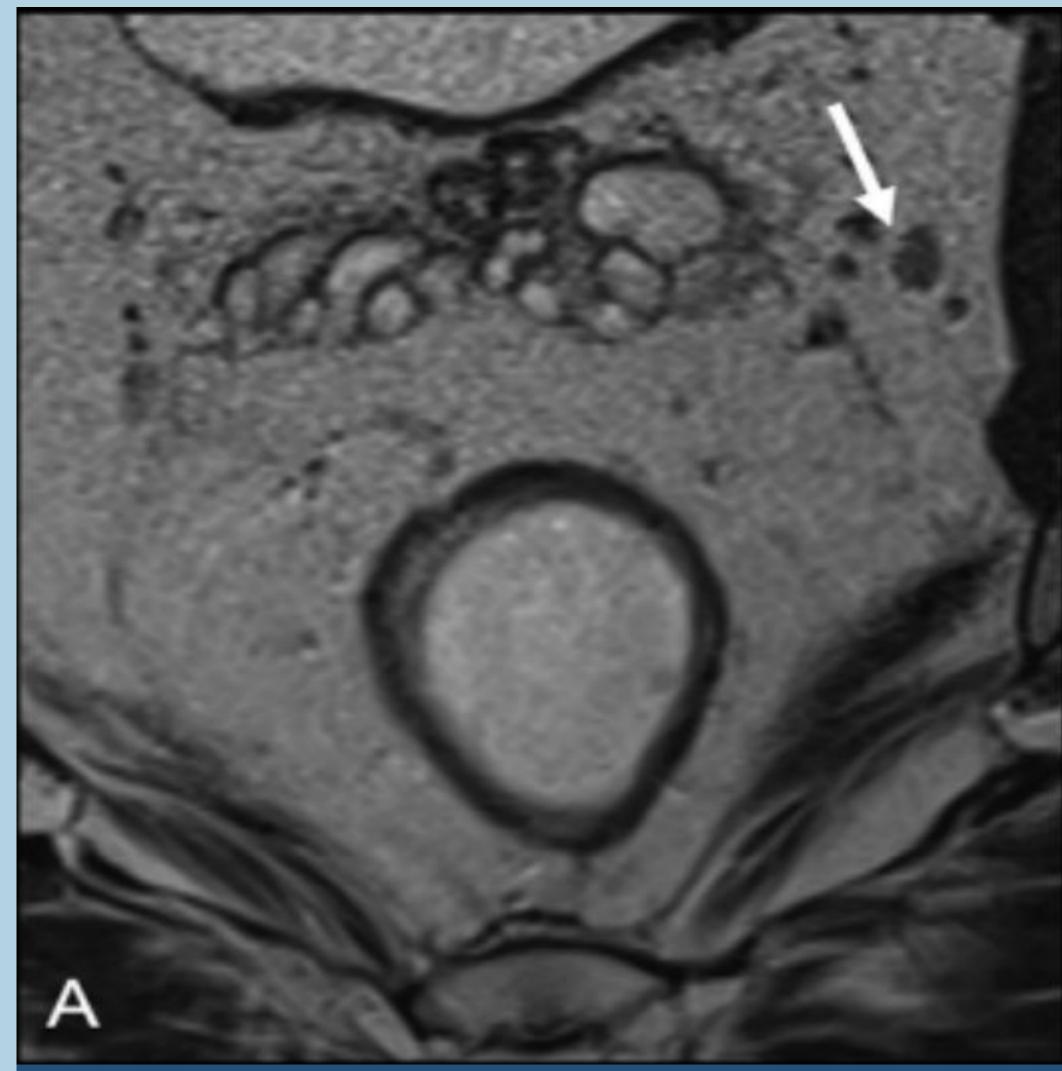
Panel B:

Non-Zero Coefficients for Path T Stage	Adaptive Lasso	SCAD	MCP
number_of_positive_lymph_n	0.073	0.054	
Sex		-0.367	-0.340
init_clinical_staging_m		-0.174	-0.217
Bmi		0.158	0.058
days_from_diagnosis_to_surgery		-0.190	-0.132
distance_to_distal_margin		0.079	0.026
number_of_lymph_nodes_exam		0.024	

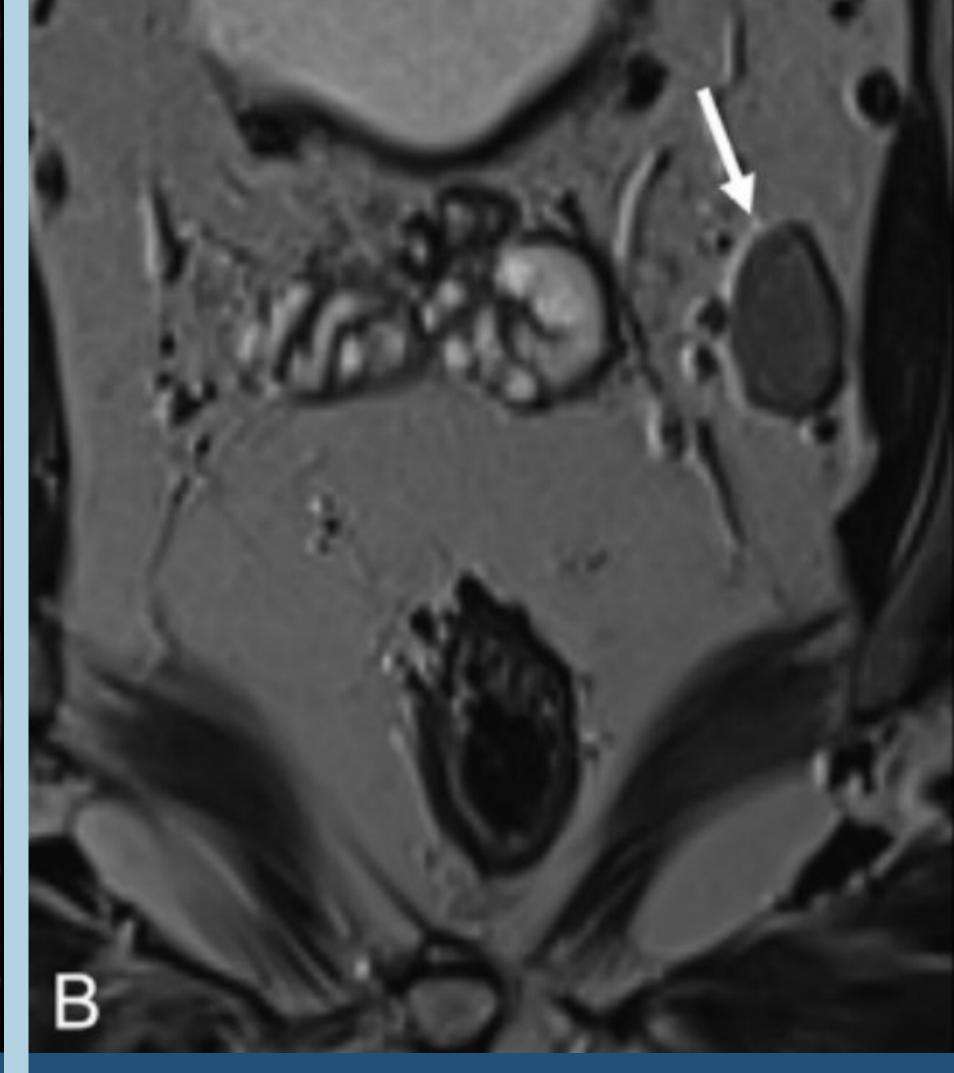
Non-Zero Coefficients for Path N Stage	Adaptive Lasso	SCAD	MCP
number_of_positive_lymph_n	0.214	0.144	0.060
Race		0.177	0.297
init_clinical_staging_m		0.217	0.346

Non-Zero Coefficients for Path M Stage	Adaptive Lasso	SCAD	MCP
number_of_positive_lymph_n	0.044		
Race		0.209	0.200
init_clinical_staging_m		0.148	0.206
Bmi		-0.046	
days_from_neo_xrt_to_surgery		0.047	
distance_to_proximal_margin	353	-0.018	
distance_to_distal_margin		-0.044	
number_of_lymph_nodes_exam		-0.035	-0.030

Non-Zero Coefficients for Recurrence	Adaptive Lasso	SCAD	MCP
init_clinical_staging_m		-0.024	



no significant positive lymph nodes



presence of significant positive lymph nodes

Imaging variable, number_of_positive_lymph_n, is significantly associated with path T Stage and path N Stage outcomes in both Panels A and B. Among the pre-surgery or control variables,

init_clinical_staging_m appears to be a significant predictor of path T Stage, path N Stage and path M Stage outcomes, and *race* appears to be a significant predictor of path N Stage and path M Stage outcomes in Panel B.

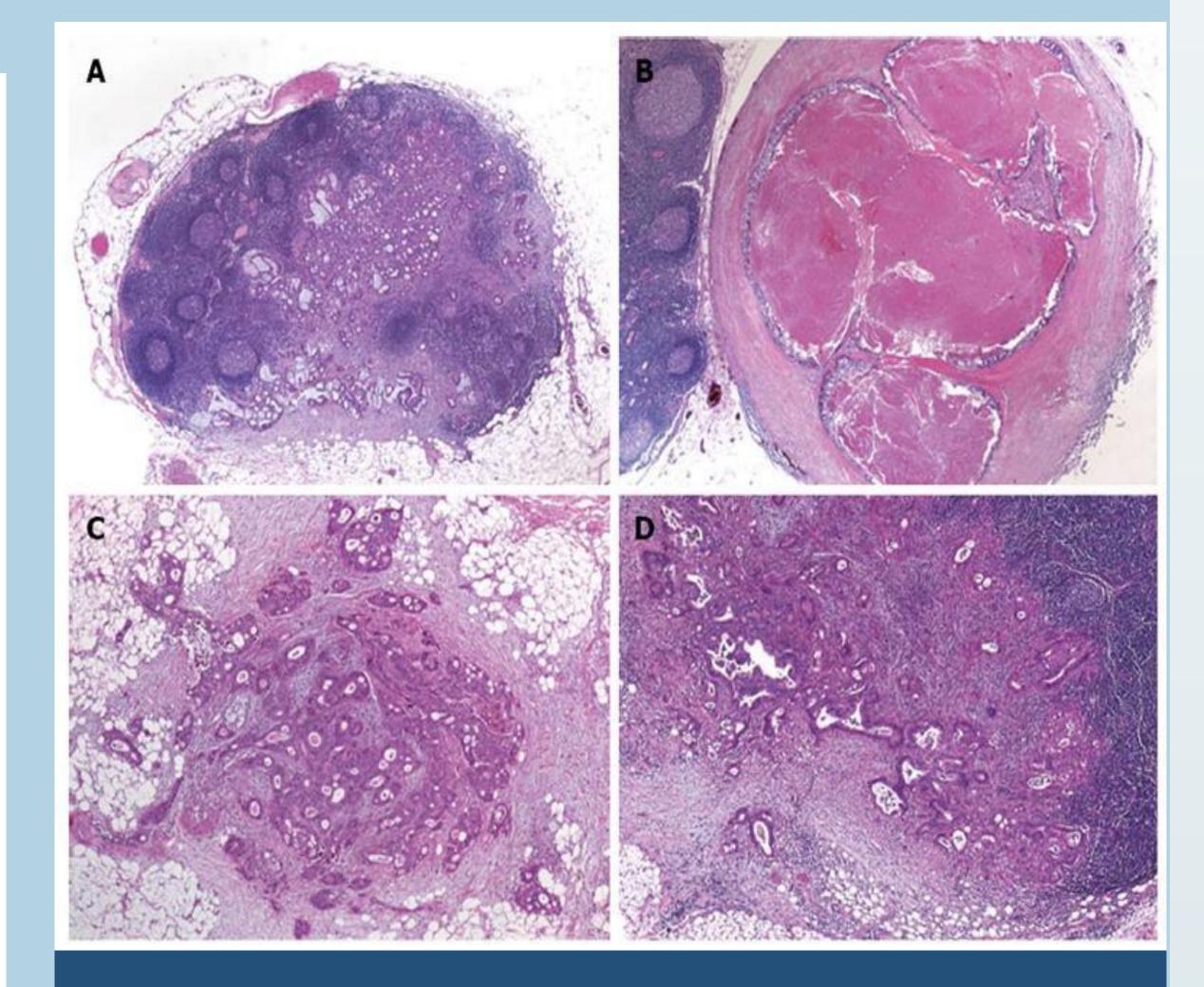
Method 3: Ridge & ElasticNet Regression

In Ridge regression, overfitting deals with multicollinearity problems by imposing penalties on the regression coefficients. ElasticNet is also chosen for its ability to combine the advantages of LASSO and Ridge regression, providing a robust approach to handling high-dimensional data and multicollinearity.

Results

Panel A:

Significant Coefficients for Path N Stage	Ridge	ElasticNet
number_of_positive_lymph_n	0.691	0.656
lymphovascular_invasion	0.147	



Panel B:

Significant Coefficients for Path N Stage	Ridge	ElasticNet
init_clinical_staging_m	0.177	
number_of_positive_lymph_n	0.514	0.562
large_vessel_invasion	-0.139	

presence of positive lymph nodes

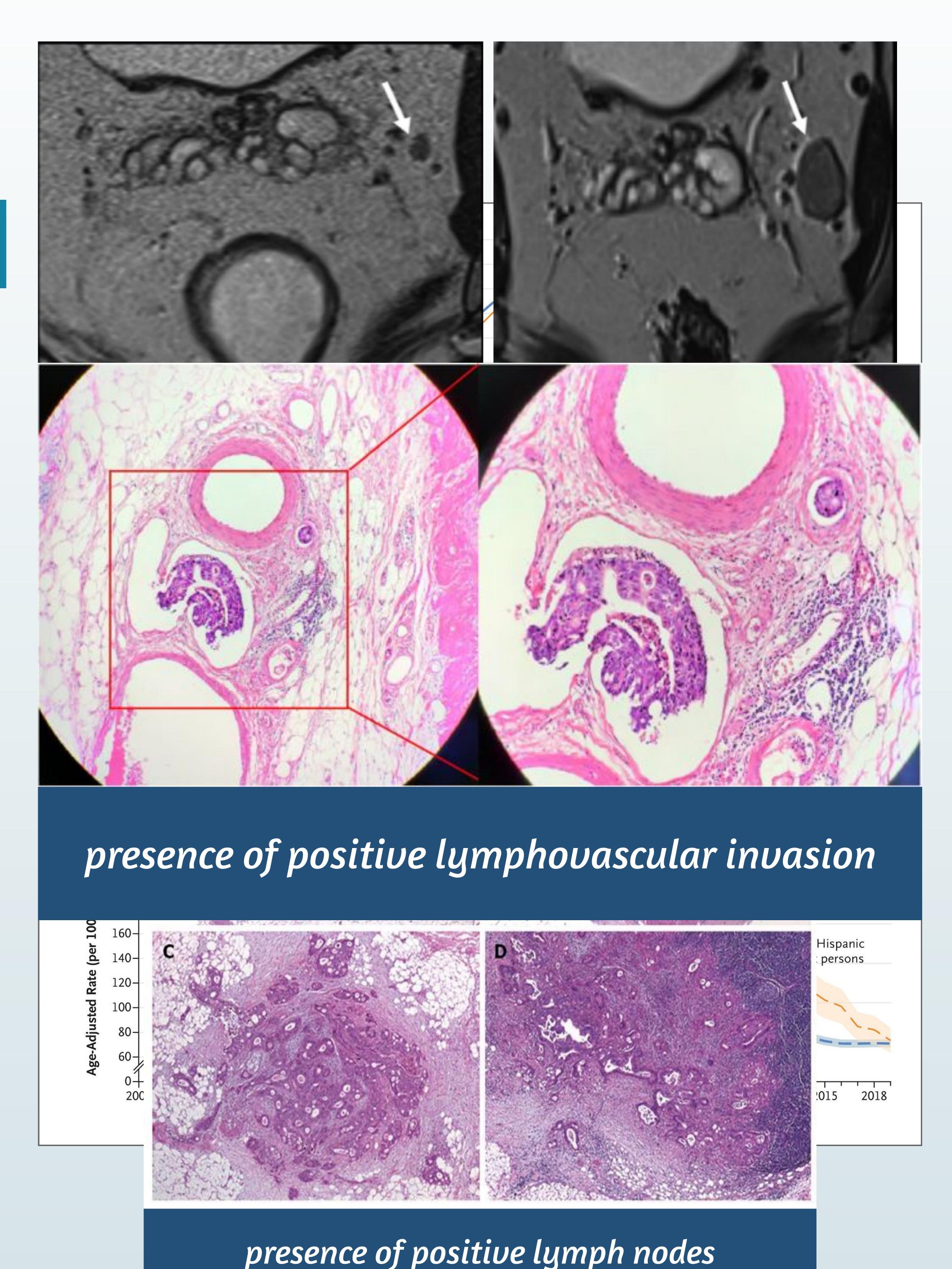
Imaging variable, number_of_positive_lymph_n, is significantly associated with path N Stage in both Panels A and B.

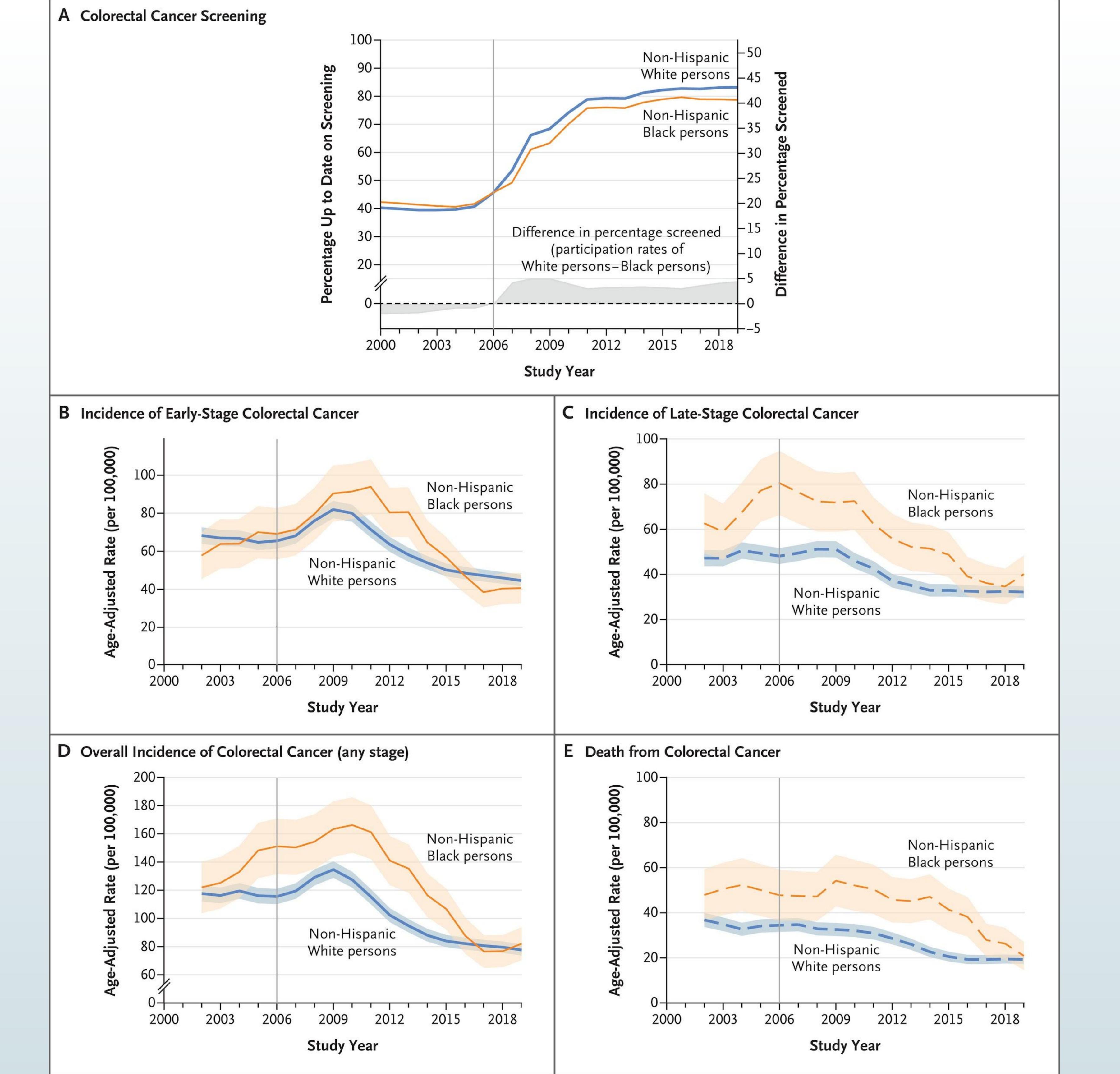
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Discussion

In general, across almost all methods I used, the <code>number_of_positive_lymph_n</code> imaging variable is significant and positively associated with <code>path_t_stage</code>, <code>path_m_stage</code>, and <code>path_n_stage</code> outcomes. The <code>number_of_positive_lymph_n</code> refers to the number of lymph nodes to which cancer has spread, also known as the n-stage. Clinically, this aligns with the understanding that lymph node involvement worsens outcomes, as cancer spreads through the lymphatic system, increasing the risk of metastasis. Studies (Kroon et al., 2022; Sluckin et al., 2022) highlight the impact of lateral lymph node metastasis, particularly in locally advanced rectal cancer, on recurrence and survival rates.

Among control or pre-surgery variables, <code>init_clinical_staging_m</code> and <code>race</code> are generally significantly associated with <code>path_t_stage</code>, <code>path_m_stage</code>, and <code>path_n_stage</code> outcomes. <code>init_clinical_staging_m</code> refers to clinical M, or metastatic, stage, determined at diagnosis prior to any treatment. This emphasizes how racial disparities exist in rectal cancer survival, with black patients showing worse survival rates than white patients, even with similar treatments, likely due to biological and systemic factors.





Conclusion

The study supports the hypothesis that *number_of_positive_lymph_n* (imaging variable) and *init_clinical_staging_m* and *race* (pre-surgery variables) are key predictors of rectal cancer outcomes.

Despite the small sample size (55 cases), the study provides multidimensional insights into rectal cancer prognosis. Future work should expand the dataset and test findings over a longer period to improve reliability. As imaging technology advances, its role in predicting and improving patient outcomes will likely become even more critical.

Can we Predict Rectal Cancer Outcomes using Clinical Data? A Comparative Analysis of Different Techniques.

Karina Krishnan Grade 11, Beachwood High School | Beachwood, Ohio, 44122

Advisors: Professor Dr. Satish Viswanath, Mr. Thomas DeSilvio, Dr. Charlems Alvarez Jimenez (Case Western Reserve University)

Background

Rectal cancer is a subtype of colorectal cancer (CRC), the third most common cancer and the second leading cause of cancer-related deaths globally. Treatment differs from colon cancer due to the rectum's proximity to other organs, making surgical planning complex. Advances in MRI imaging have improved treatment decisions and outcome predictions.

Rectal cancer is staged using the TNM system, which assesses tumor size (T-stage), lymph node involvement (N-stage), and metastasis (M-stage).

Objective

The study aims to identify pre-surgery and MRI variables that significantly predict rectal cancer outcomes, measured by pathologic TNM staging and recurrence. This information is crucial for prognostic assessment, surgical planning, and treatment evaluation.

Data

The small sample but high-dimensional data used in my analysis is collected from Case Western Reserve University's Department of Biomedical Engineering, from 55 patients treated at University Hospitals Cleveland Medical Center.

Variables analyzed:

- Pre-surgery (control) variables: Sex, BMI, race, days from diagnosis to surgery, initial cancer staging, and tumor marker levels.
- MRI variables: Mucin production, tumor margins, lymph node involvement, and invasion of nearby structures.

There are 4 outcome variables:

- Pathologic T-Stage (path_t_stage): Measures tumor size and invasion, ranging from 0 (no tumor) to 4 (tumor spreading to nearby organs and lymph nodes)
- Pathologic N-Stage (path_n_stage): Assesses lymph node involvement, with 0 indicating no spread, 1 indicating limited metastasis, and 2 indicating extensive lymph node involvement.
- Pathologic M-Stage (*path_m_stage*): Evaluates distant metastasis, where 0 means no spread beyond nearby lymph nodes, 1 indicates distant metastasis, and 2 signifies more extensive spread.
- *recurrence*: A binary measure where 0 indicates no cancer recurrence after treatment, and 1 signifies recurrence within the follow-up period.

Hypothesis

Among the various pre-surgery and MRI variables available for colorectal cancer patients, Initial staging, or Clinical TNM among the pre-surgery variables, and the extent of lymph node involvement by cancer cells, in imaging variables are significantly associated with pathologic TNM and recurrence, consistently across all the different regression methods used.

Methodology, Data, & Results

All the continuous explanatory variables are first standardized into the z scores by subtracting the sample mean and dividing by sample standard deviation, to remove the dimensionality for the data but preserve the variability.

Then three different regression techniques are utilized to determine whether any variable of the variables is consistently and significantly associated with outcomes. Using Stata and Python programming, the regression results are examined with (Panel A of each table) only the imaging variables and (Panel B of each table) with both imaging variables and pre-surgery variables (or control variables).

Method 1: Tobit and Logit Regression

Since the dependent variables are not continuous variables, the Tobit regression method is utilized for *path_t_stage*, *path_n_stage*, and path_m_stage which can take ordered values, and the Logit regression method is used for *recurrence* that is 0 or 1 indicator variable.

Results

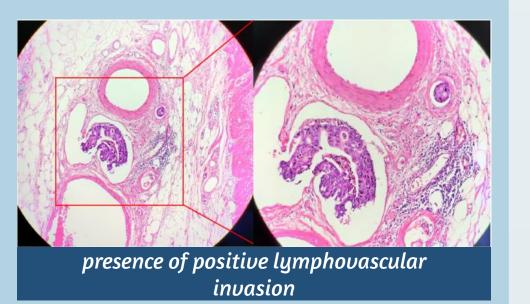
Significant Coefficients for Path T Stage	Tobit
mucin_present	2.879

Significant Coefficients for Path M Stage number_of_positive_lymph_n 0.274 lymphovascular_invasion

Panel B:

Significant Coefficients for Path M Stage	Tobit
number_of_positive_lymph_n	0.572
lymphovascular_invasion	0.393
sex	-4.353

number_of_positive_lymph_n and *lymphovascular_invasion* imaging are significantly associated with the path M Stage outcome in both Panels A and B.



Method 3: Ridge & ElasticNet Regression

In Ridge regression, overfitting deals with multicollinearity problems by imposing penalties on the regression coefficients. ElasticNet is also chosen for its ability to combine the advantages of LASSO and Ridge regression, providing a robust approach to handling high-dimensional data and multicollinearity.

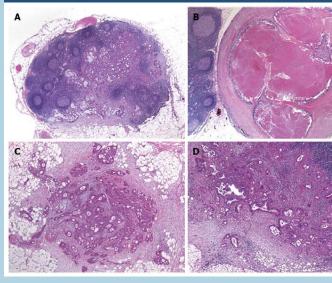
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Panel B:

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number_of_positive_lymph_n	0.514	0.562
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presence of positive lymph



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Method 2: Adaptive LASSO, SCAD, & MCP Regression

LASSO (Least Absolute Shrinkage and Selection Operator) performs variable selection and regularization, effectively selecting the variables that are most important to the response variable. Smoothly Clipped Absolute Deviation (SCAD) and Minimax Concave Penalty (MCP) improve model performance.

Results

Non-Zero Coefficients for Path T Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.073	0.036	
distance_to_proximal_margin		-0.031	
number_of_lymph_nodes_exam		0.044	
Non-Zero Coefficients for Path N Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.214	0.156	0.090
			•
Non-Zero Coefficients for Path M Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.044		
distance_to_proximal_margin		-0.034	i i
distance_to_distal_margin		-0.022	
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Panel B:			
Non-Zero Coefficients for Path T Stage	Adaptive Lasso	SCAD	МСР
number_of_positive_lymph_n	0.073	0.054	
Sex		-0.367	-0.340
init_clinical_staging_m		-0.174	-0.217
Bmi		0.158	0.058
days_from_diagnosis_to_surgery	30	-0.190	-0.132
distance_to_distal_margin		0.079	0.026
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0.047

-0.018

Adaptive Lasso | SCAD | MCP

-0.024

number_of_positive_lymph_n

init_clinical_staging_m

days_from_neo_xrt_to_surgery

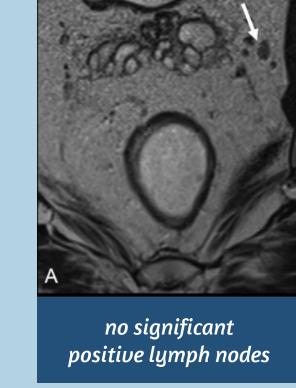
distance_to_proximal_margin

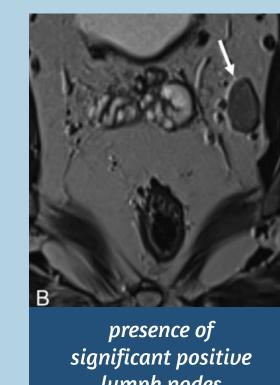
distance_to_distal_margin

number_of_lymph_nodes_exam

Non-Zero Coefficients for Recurrence

init_clinical_staging_m





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I thank Professor Dr. Satish Viswanath, Mr. Thomas DeSilvio, and Dr. Charlems Alvarez Jimenez of Case Western Reserve University's Department of Biomedical Engineering, for the data and regular guidance in this project.

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